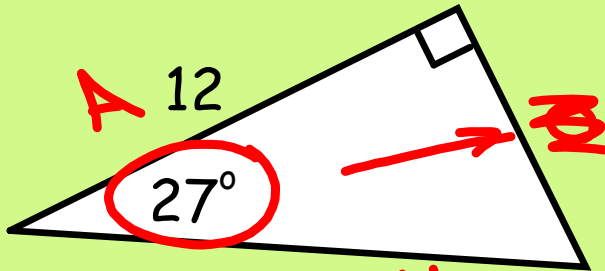


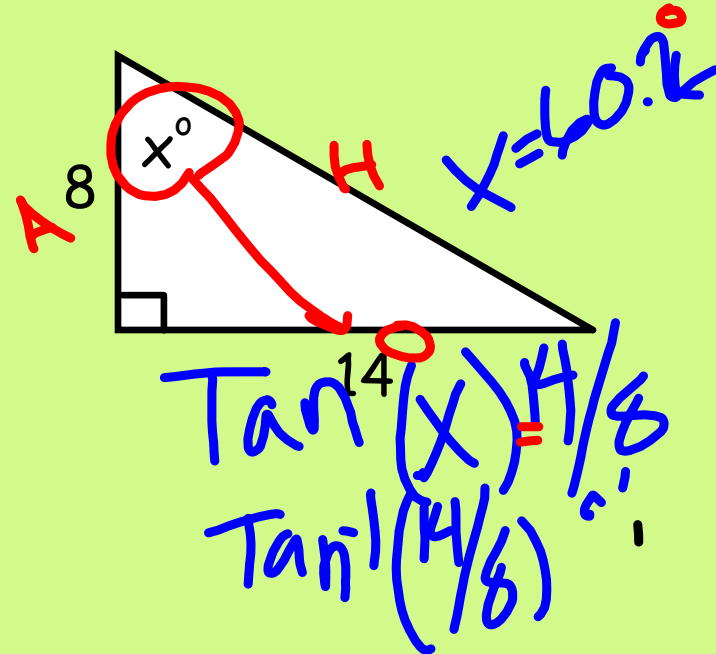
2/18/20 - Warm Up Problem

Find the value of x in each triangle.



$$\cos(27) = \frac{12}{x} \Rightarrow 13.46$$

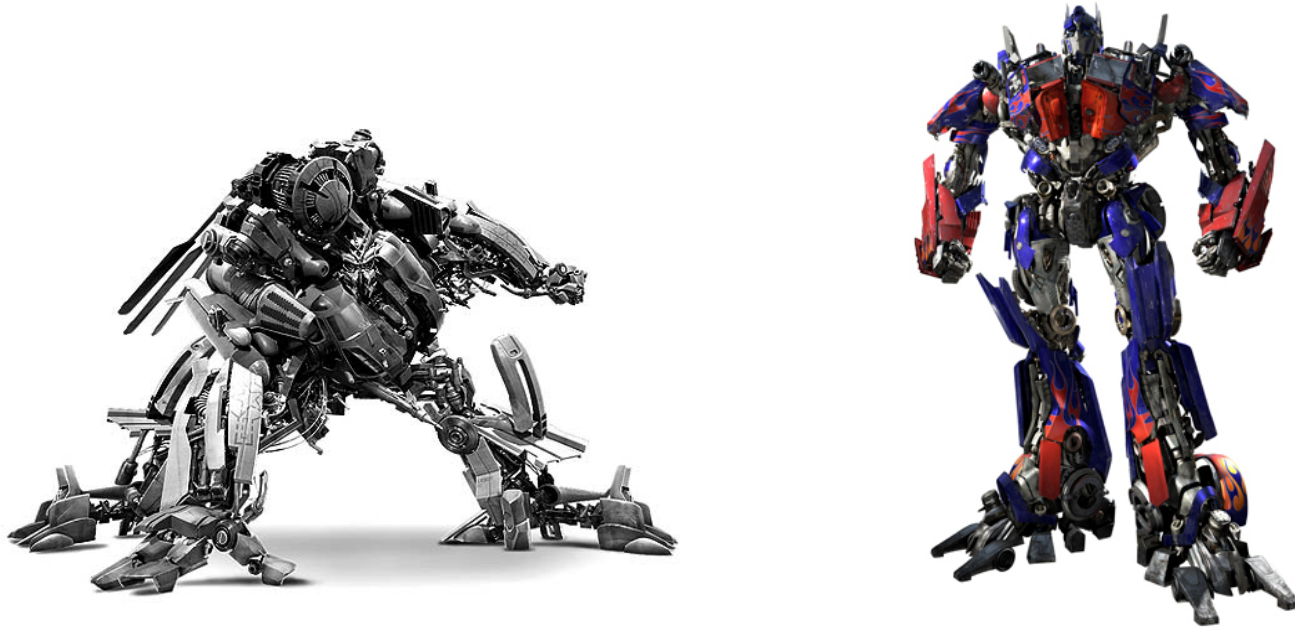
$$\frac{12}{\cos(27)} = \frac{x \cdot \cos(27)}{\cos(27)}$$



$$\tan(x) = \frac{14}{8}$$

$$\tan^{-1}\left(\frac{14}{8}\right)$$

WHAT IS A TRANSFORMATION?



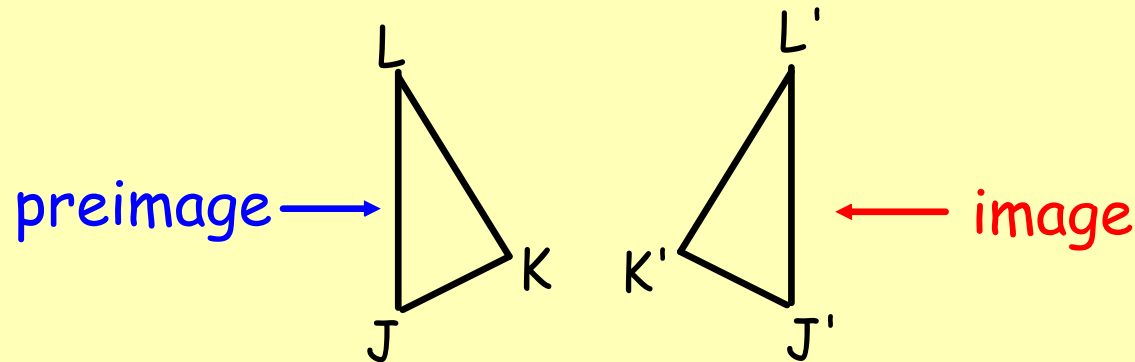
Section 9.1 - Translations

Goals: identify rigid motion transformations (isometries)
graph and write function rules for transformations

Transformation: a function that changes the position, shape, or size of a figure

Preimage: the original figure

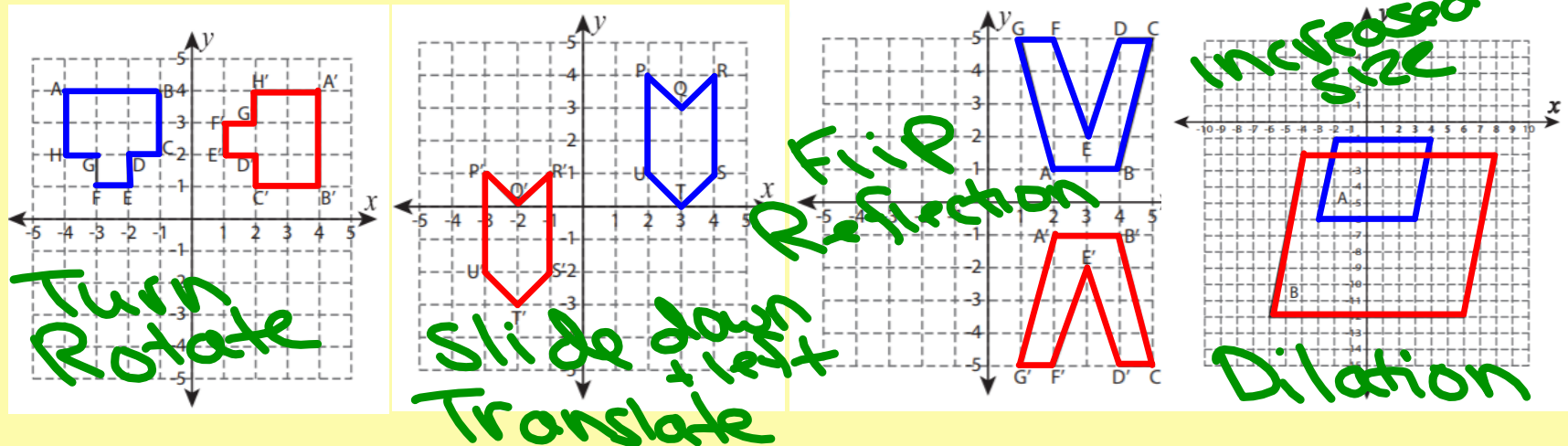
Image: the transformed figure



Rigid Motions

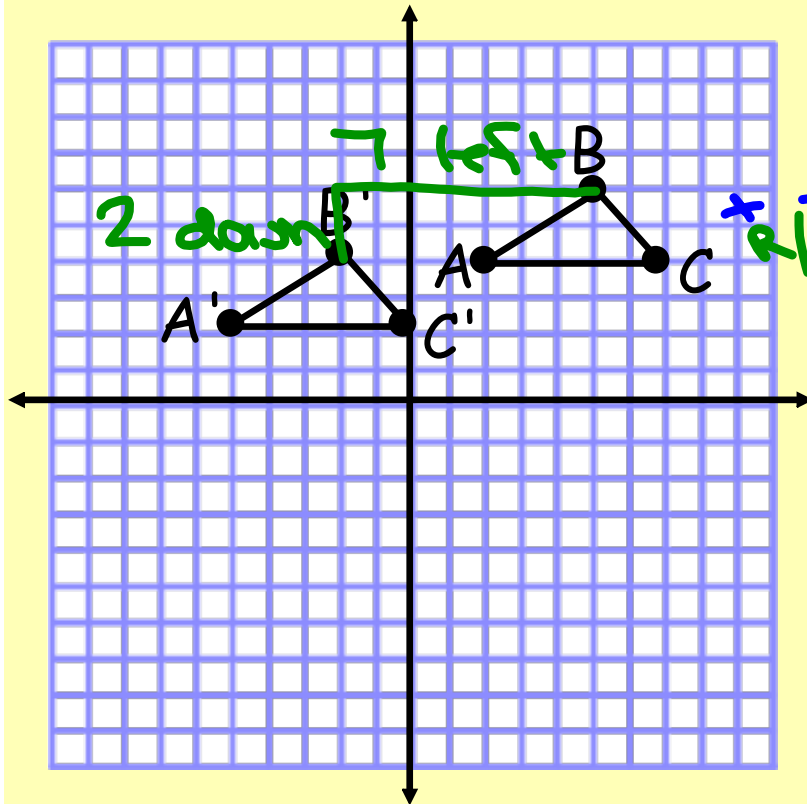
Describe each transformation?

Is the image congruent to the preimage?



Rigid Motion/Isometry: a transformation that preserves distance and angle measure
 - the preimage and image are congruent

Translation: (slide) a rigid motion that moves all points the same distance in the same direction



Function Notation

$T_{\langle x, y \rangle}(A) = A'$ means

Point A is translated x units
right/left and y units up/down

Write a rule in function notation to describe the translation.

$$T_{\langle -1, -2 \rangle}(\triangle ABC)$$

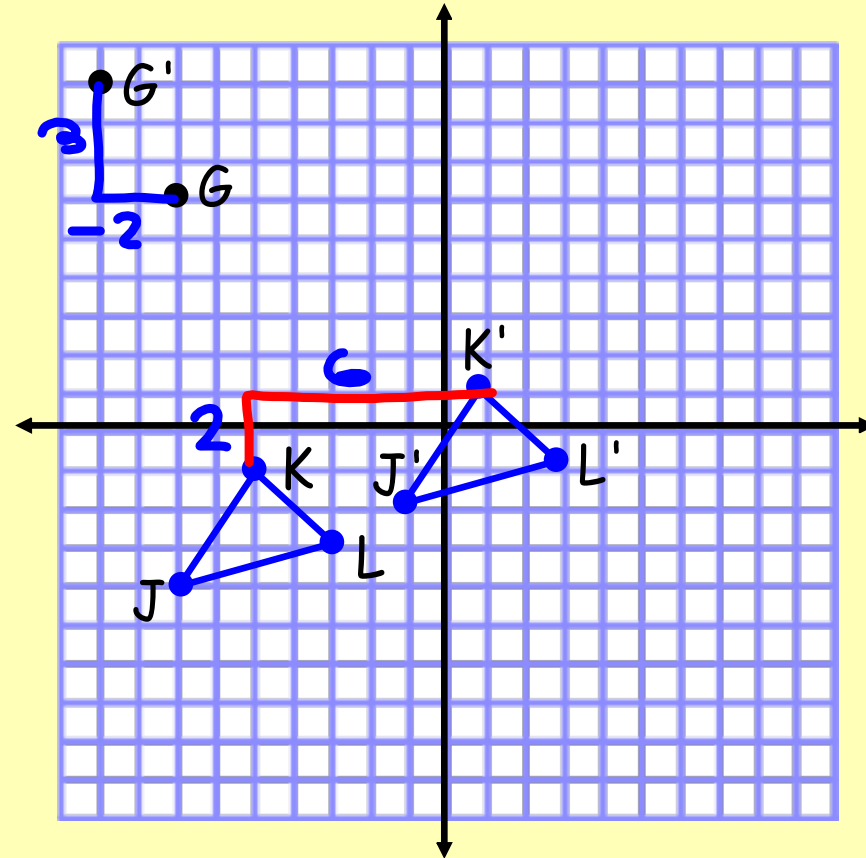
Write a rule in function notation to describe the translation of each figure.

Point G

$$T_{\langle -2, 3 \rangle}(G)$$

$\triangle JKL$

$$T_{\langle 6, 2 \rangle}(\triangle JKL)$$



Theorem 9.1 - Translation Theorem

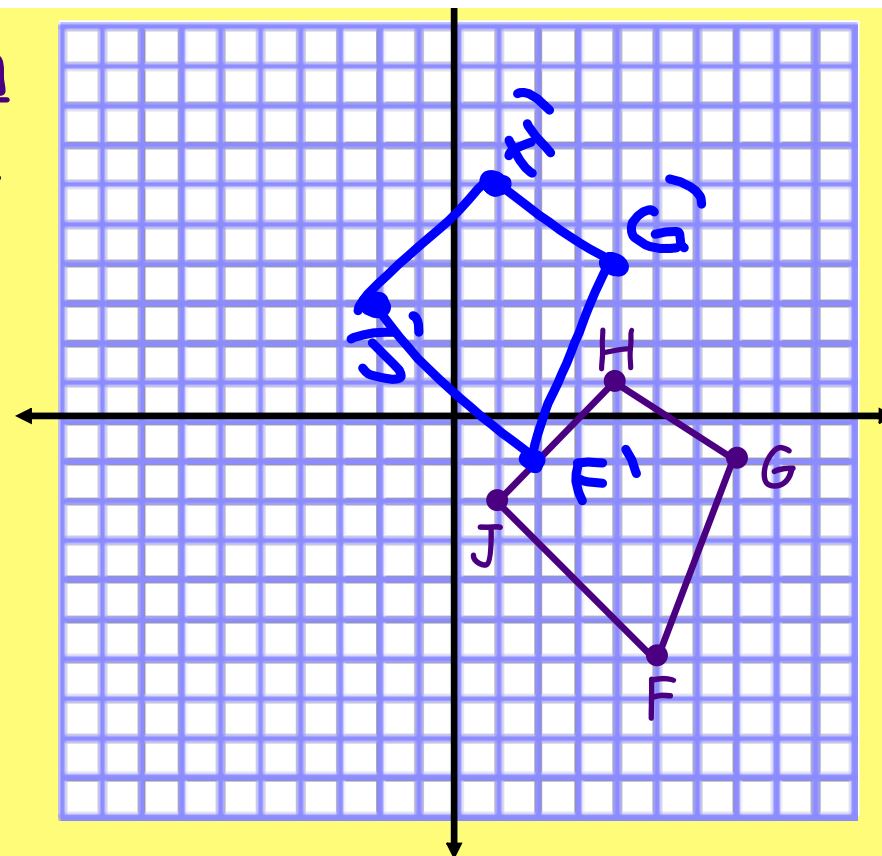
A translation is an isometry.

Graphing a Translation

Transform each point of the figure according to the rule.

$$T_{\langle -3, 5 \rangle}(\text{FGHJ})$$

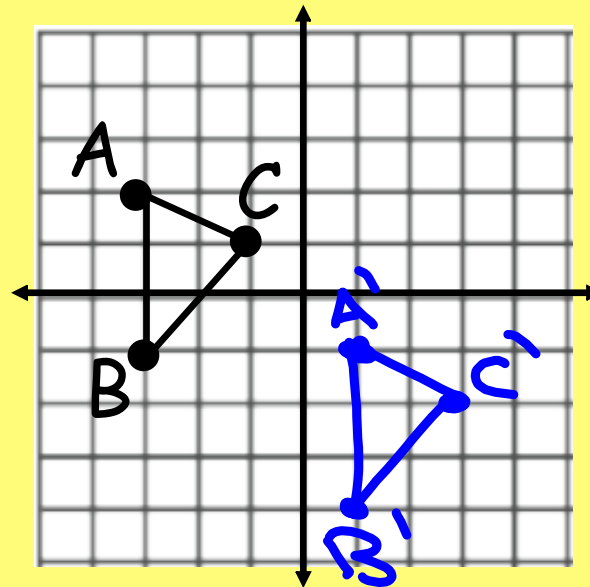
left 3
up 5



Try this one in your notes.
Graph the image of $\triangle ABC$.

$$T_{\langle 4, -3 \rangle}(\triangle ABC)$$

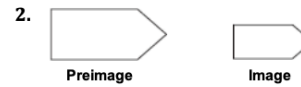
right \nearrow \nwarrow down
 -3



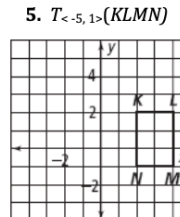
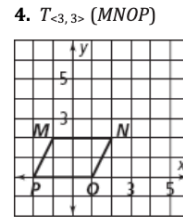
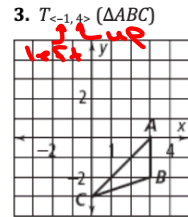
Assignment:
Concept 21 Worksheet
(1-9)

TRANSLATIONS

Tell whether the transformation appears to be a **rigid motion**. Explain.



Graph the image of each figure under the given translation.



The preimage and image of a translation are shown. Describe the translation using function notation. $T_{\langle 4, -4 \rangle}(\triangle A'I'S)$

