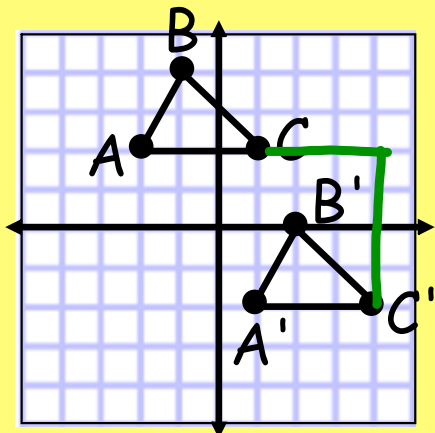
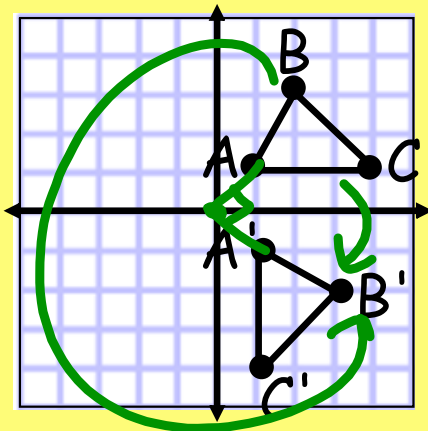


## 2/26/20 - Warm Up Problem

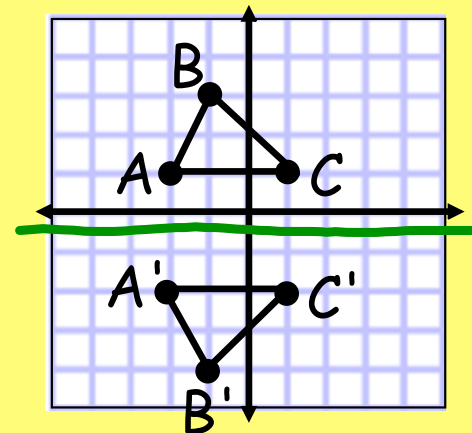
Write a transformation in function notation to describe each graph.



$$T(3, -4)$$

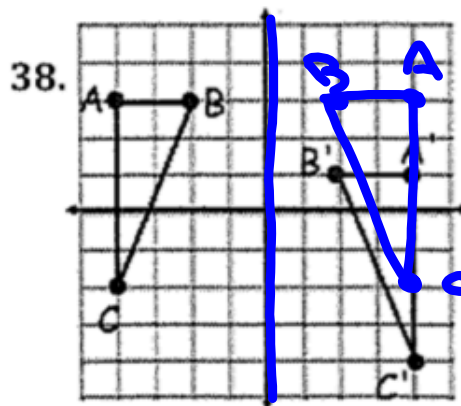
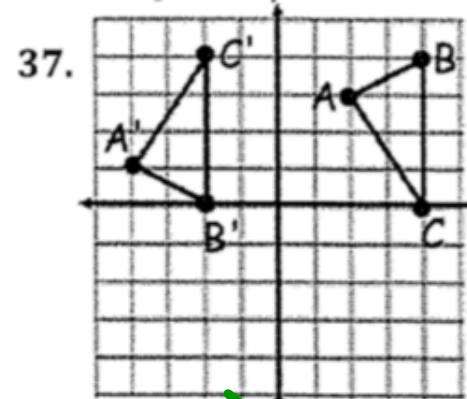
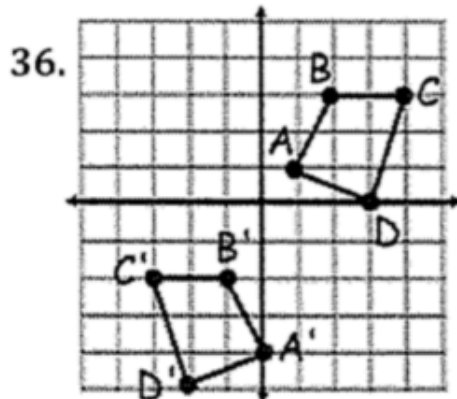
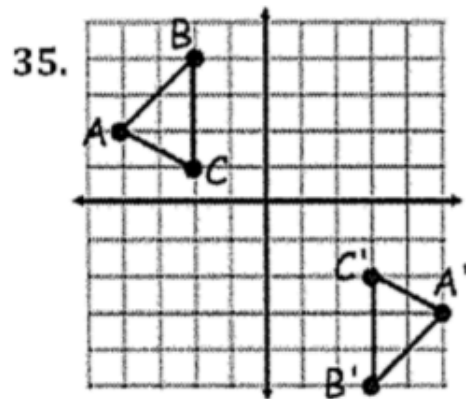


$$r(270^\circ, 0)$$

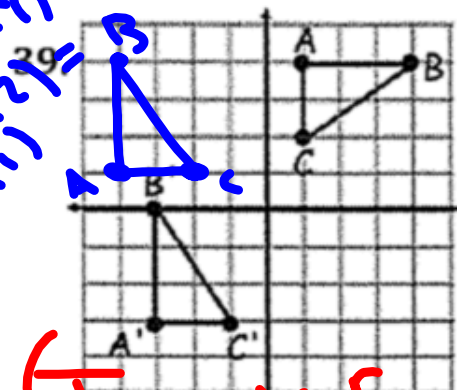


$$R_{y = -\frac{1}{2}}(\triangle ABC)$$

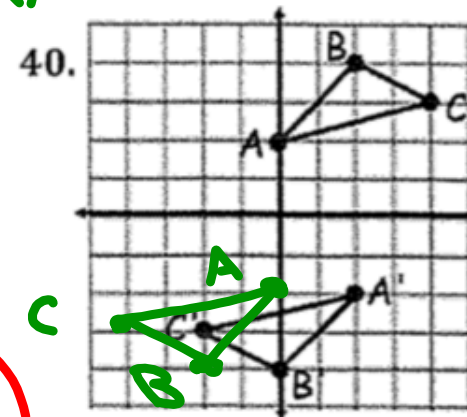
Write a composition of transformations in function notation that maps each preimage onto its image.



$(x, y) \rightarrow (-x, y)$   
 $(-2, 1) \rightarrow (2, 1)$   
 $(-1, 1) \rightarrow (1, 1)$   
 $(-2, -1) \rightarrow (2, -1)$



$(x, y) \rightarrow (-x, -y)$



$(T_{<0, -2>} \circ R_{y\text{-axis}})(\triangle ABC)$

$(T_{<1, -4>} \circ r_{(90^\circ, 0)})$

$(T_{<2, 0>} \circ r_{(180^\circ, 0)})$

# Concept 21 - Symmetry

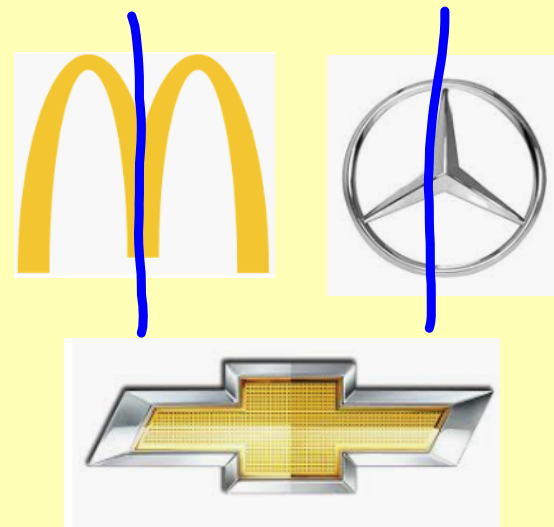
**Goals:** determine if a figure shows reflectional or rotational symmetry -  
find lines of symmetry and angles of rotational symmetry

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**Symmetry:** a rigid motion maps the figure onto itself

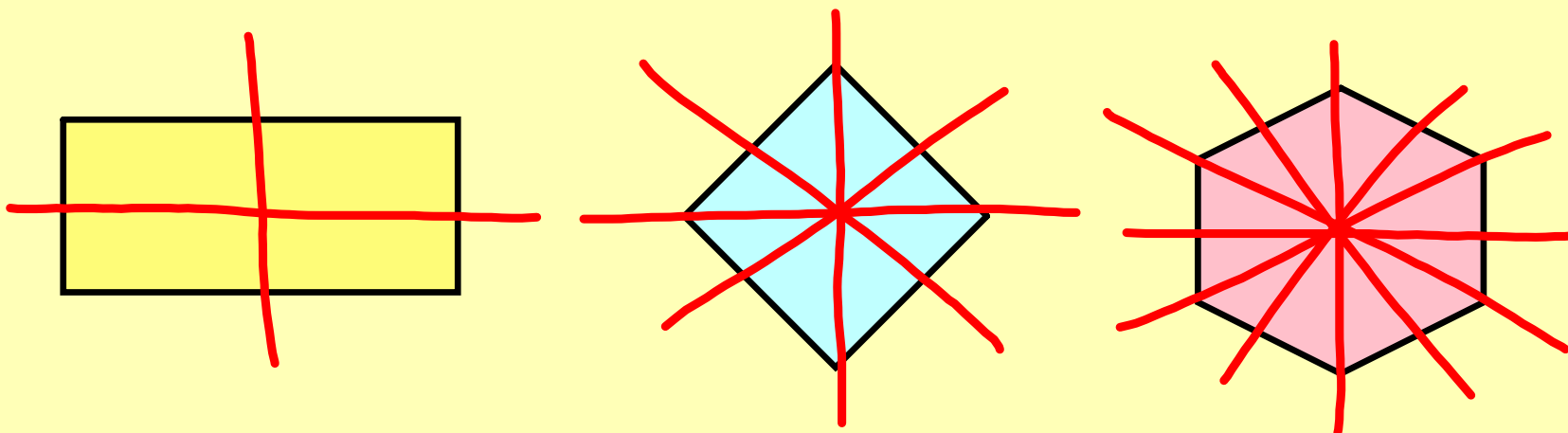
There are two kinds of symmetry:

- reflectional symmetry
- rotational symmetry



## Reflectional Symmetry (line symmetry)

- One half of the figure is a mirror image of the other half
- A line of symmetry can be drawn through figure



## Rotational Symmetry

A figure has **rotational symmetry** if the figure looks the same after being rotated less than  $360^\circ$

- a figure can have several different angles of rotational symmetry

