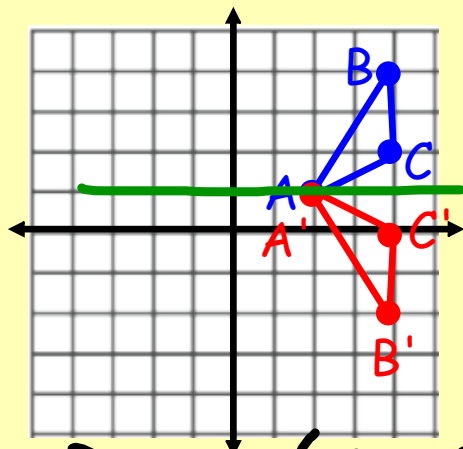
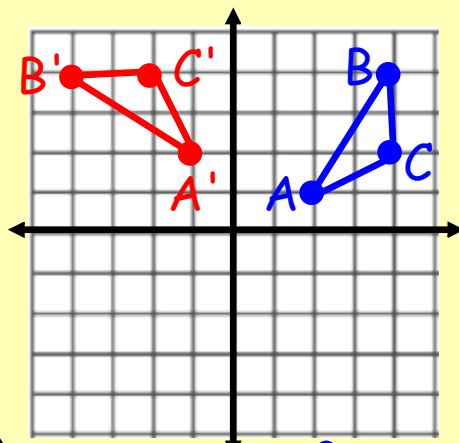


2/25/20 - Warm Up Problem

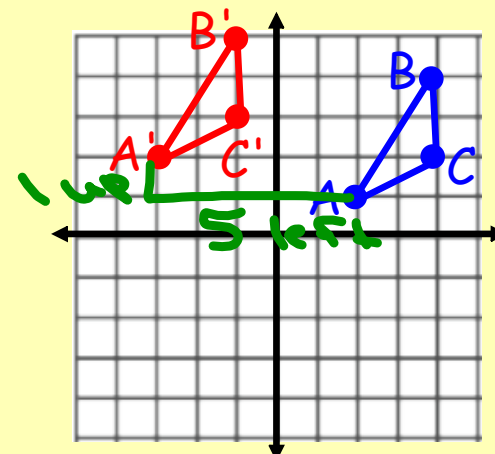
Describe each transformation using function notation.



$R_{y=1}(\triangle ABC)$



$R_{90^\circ}(\triangle ABC)$

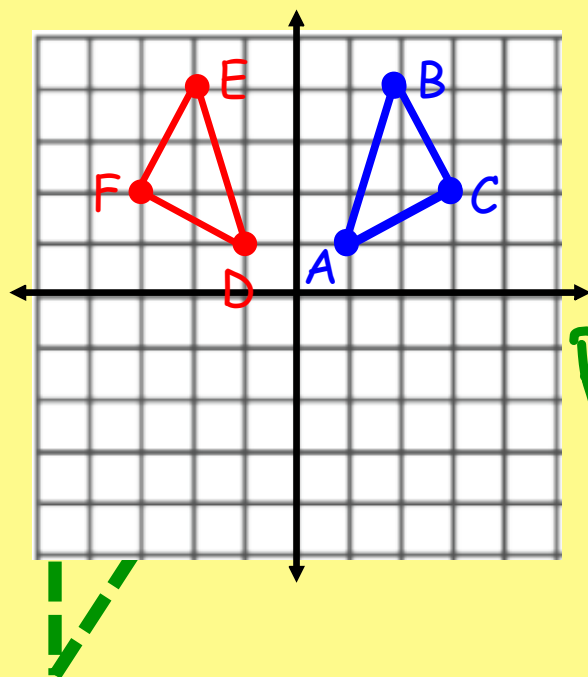


$T_{\langle -5, 1 \rangle}(\triangle ABC)$

Concept 21 - Congruence Transformations

Goal: draw and identify compositions of transformations

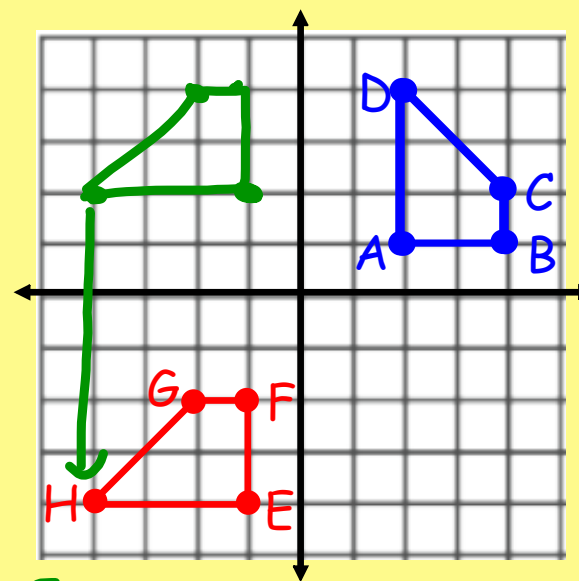
Is $\triangle ABC$ congruent to $\triangle DEF$?



$R_{y\text{-axis}}$
($\triangle ABC$)

$(2, -1)$
 $(-1, 2)$

Is ABCD congruent to EFGH?



$T(90, 0)$ then
 $T(0, -6)$ ($\triangle ABC$)

Congruence Transformation:

Two figures are congruent if and only if there is a sequence of one or more rigid motions that maps one figure onto the other.

↳ translate
reflect
rotate

Composition: A combination of two or more transformations

$$T_{\langle 0, -6 \rangle} (r_{(90, 0)}(ABCD))$$

or

$$(T_{\langle 0, -6 \rangle} \circ r_{(90, 0)})(ABCD)$$

2nd 1st

Read the
transformations
from right to left

The translation is done TO the rotated figure, so the rotation must happen first.

Writing Compositions

- the transformation
closest to the name
of the figure gets
done first

EXAMPLE #1 :

$$\left(R_{x\text{-axis}}^{\text{2nd}} \circ T_{\langle 2, -3 \rangle}^{\text{1st}} \right) (\triangle ABC)$$

means Translate 2 right and
3 down, then reflect
over x-axis

$$\left(T_{\langle -1, 4 \rangle}^{\text{2nd}} \circ R_{(90^\circ, 0)}^{\text{1st}} \right) (\triangle ABC)$$

means rotate 90° CCW then
translate 1 left and
4 up

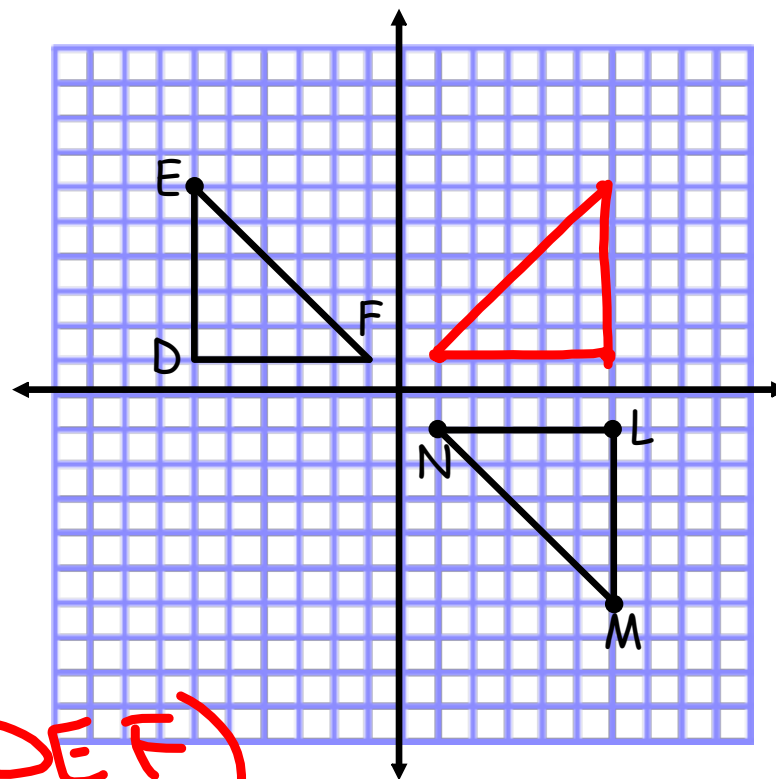
Write a Congruence Transformation

What congruence transformation maps $\triangle DEF$ onto $\triangle LMN$?

$$r_{(180^\circ, 0)}(\triangle DEF)$$

Could there be more than one correct answer?

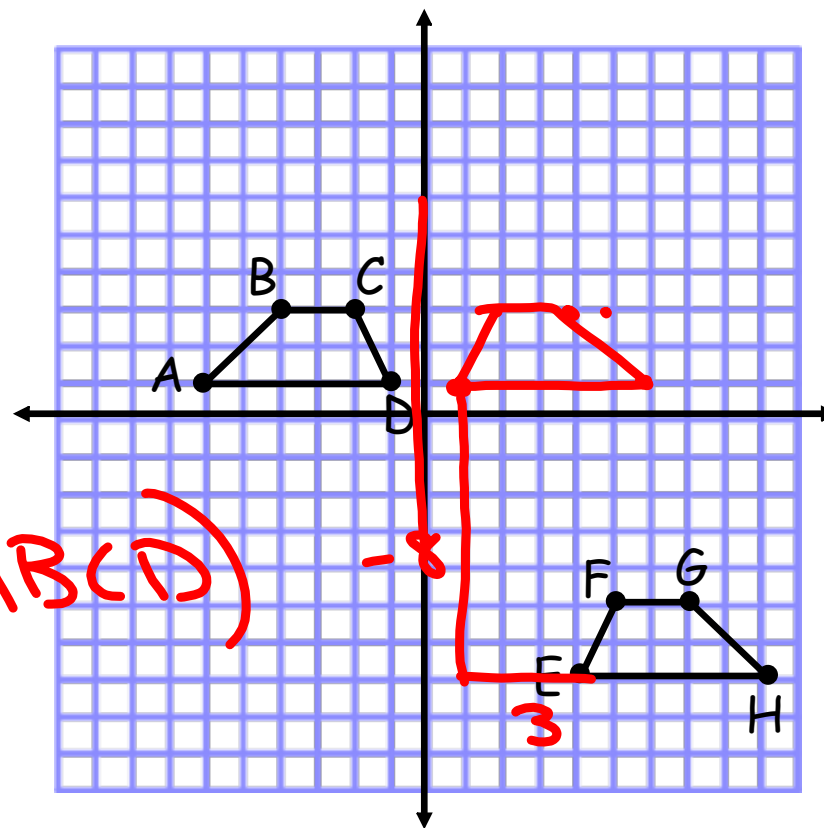
$$(R_{x\text{-axis}} \circ R_{y\text{-axis}})(\triangle DEF)$$



Do this one in your notes.

What congruence transformation maps ABCD onto EFGH?

$(T_{\langle 3, -8 \rangle} \circ R_{y\text{-axis}})(ABCD)$



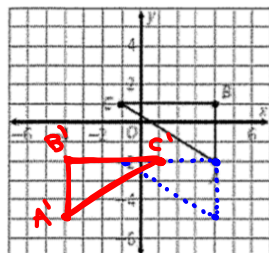
Assignment:

Concept 21 Worksheet (#31-40)

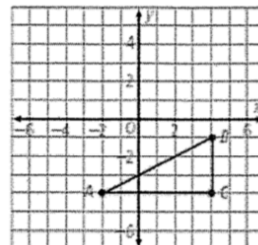
CONGRUENCE TRANSFORMATIONS

Graph each composition of transformations.

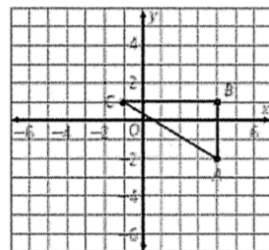
31. $(R_{y\text{-axis}} \circ T_{\langle 0, -3 \rangle})(\triangle ABC)$



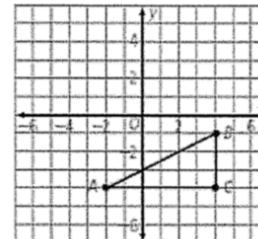
32. $(R_{y=-1} \circ T_{\langle 1, -1 \rangle})(\triangle ABC)$



33. $(T_{\langle 2, -1 \rangle} \circ r(90^\circ, 0))(\triangle ABC)$



34. $(R_{x=1} \circ R_{x\text{-axis}})(\triangle ABC)$



Write a composition of transformations in function notation that maps each preimage onto its image.

